859. The Molecular Association of Some Carboxylic Acids in Aqueous Solution from e.m.f. Measurements.

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The standard electrode potentials of the silver-silver chloride electrode from 15° to 45° in aqueous acetic, propionic, and butyric acids have been calculated from potential measurements obtained with the cell H₂|HCl, aqueous HA|AgCl|Ag (A = carboxylate ion), small concentrations of hydrochloric acid and up to 0.6m-organic acid being used. Similar molalities of the latter have been used in the buffered type of cell whereby Harned has obtained the dissociation constants of weak acids from e.m.f. measurements, i.e., H₂|HA,NaA,NaCl|Ag|AgCl, and by using the known dissociation constants of the acids and the derived standard electrode potentials, the dimerisation constants of these acids have been calculated. The results are of the same order as, but somewhat lower than, those obtained by other methods. There are several unknown factors involved and the effects of these are discussed.

ONE of the most widely used and precise ways of obtaining the dissociation constants of weak acids in solution is by means of the "buffered" e.m.f. cell developed by Harned, *i.e.*,

$$H_2|Pt|HA(m_1), MA(m_2), MX(m_3)|AgX|Ag$$
 (cell I)

where HA is the weak acid, M a metal cation (usually Na⁺), X⁻ a halide (usually Cl⁻), A^- is the anion of the acid, and the quantities *m* are in molalities. This cell was first used by Harned and Ehlers¹ for the study of aqueous acetic acid, and has since been used with many weak electrolytes in a variety of solvents and over wide temperature ranges.^{2,3}

¹ Harned and Ehlers, J. Amer. Chem. Soc., 1932, 54, 1350.
³ Harned and Owen, "The Physical Chemistry of Electrolytic Solutions," Reinhold, New York, 1943, Ch. 15. ⁸ Stokes and Robinson, "Electrolyte Solutions," Butterworths, London, 1955, Ch. 12.

The basic equations to obtain K, the thermodynamic dissociation constant of the acid HA, are

$$E = E_{o} - k \log m_{\rm H} m_{\rm X} f_{\rm H} f_{\rm X} \quad . \quad . \quad . \quad . \quad . \quad (1)$$

 $(E - E_{o})/k + \log \left(m_{\mathrm{HA}} m_{\mathrm{X}}/m_{\mathrm{A}} \right) = -\log K + \log \left(f_{\mathrm{X}} f_{\mathrm{HA}}/f_{\mathrm{A}} \right) = -\log K' .$ (3)whence

In these k = 2.303 RT/F, f represents ion activity coefficients, E is the measured potential corrected to 1 atm. of hydrogen, and E_0 is the standard electrode potential of the X⁻|AgX|Ag electrode.

Since $m_{\text{HA}} = m_1 - m_{\text{H}}$, $m_{\text{X}} = m_2$, and $m_{\text{A}} = m_3 + m_{\text{H}}$, K' is easily found by a short series of approximations. Probably the most convenient way of calculating $m_{\rm H}$ is by means of eqn. (1), using an approximate form of the Debye-Hückel activity-coefficient expression such as that given by Davies,⁴ which in a generalised form can be written

$$-\log f_{i} = A z_{i}^{2} \{ I^{\frac{1}{2}} / (1 + I^{\frac{1}{2}}) - 0.2 I \} = A \phi(I) \quad . \quad . \quad . \quad (4)$$

The factor A depends on T and D (dielectric constant), and the ionic strength I is I = $m_2 + m_3 + m_{\rm H}$.

On theoretical grounds both $f_{\rm HA}$ and the ratio $f_{\rm x}/f_{\rm A}$ should be very close to unity, and some experimental data which confirm this have been collected by Gimblett and Monk.⁵ Further confirmation that the ratio $f_{Cl}/f_A = 1$ is given by the following activity coefficients for sodium salts in 0.1m-solution: ⁶ chloride = 0.778, acetate = 0.791, propionate = 0.800, butyrate = 0.800. Accordingly K', as calculated by eqn. (3), should not vary very much with increasing molalities of one or all of the cell constituents up to about I =0.1. In practice, marked variations are found, and three of the possible explanations for these are: (a) E_{o} (at constant T) depends upon the solvent composition, particularly the concentration of HA, so that the values obtained from data for aqueous hydrochloric acid are not applicable, (b) a fraction of the organic acid is present as dimers, and (c) the dielectric constant of the medium decreases as the molality of HA increases.

The first of these factors has already received some consideration by Harned and Owen 7 in a general survey of E_{o} values in mixed aqueous organic solvents. They have calculated E_0 values at 25° in acetic acid solutions up to 60% of acid. There are very marked changes; thus in water at 25°, E_{o} for the silver-silver chloride electrode is 0.2224 v, while in 10% acetic acid it is 0.2105 v. Their calculations are based on e.m.f. measurements obtained by Harned and Robinson⁸ with the cell $H_2|HA(m_1)$, NaCl (m_3) , water|AgCl|Ag, which was the first type used by Harned to obtain dissociation constants. In the present work hydrochloric acid has been used in preference to sodium chloride since it suppresses the dissociation of HA, and provides a bigger concentration of H^+ ions. By this means E_0 data for acetic, propionic, and *n*-butyric acid solutions up to 0.6m and from 15° to 45° have been obtained. It turns out, however, that if the correct E_0 values had been used to calculate K', then the variations with the HA molality would be even more marked.

The second point, namely, that dimerisation occurs, is supported by various experimental approaches which have been summarised elsewhere (some data are given in Table 4). To study this in detail we have obtained data by using Cell I, taking low concentrations of NaA and NaCl, and using high concentrations of HA.

The third point, concerning the dielectric constants of the media, is referred to later.

⁴ Davies, J., 1938, 2093.

⁵ Gimblett and Monk, Trans. Faraday Soc., 1954, 50, 1965.

⁶ Ref. 3, p. 477.
⁷ Ref. 2, Ch. 15.

Harned and Robinson, J. Amer. Chem. Soc., 1928, 50, 3157.

TABLE 1. E_o Values of the AgCl|Ag electrode in acetic, propionic, and n-butyric acid solution from 15° to 45° (cell II).

				Ace	tic acid.					
		${10^2m_1\over 10^4m_4}$	= (a) 10 = (a) 43)•00, (b) 3•70, (b)	20·00, 42·05,	(c) 40.00, (d (c) 48.45, (d) 60·00 () 56·31			
	(<i>a</i>)	(<i>b</i>)	(0))	(d)	(a)	(<i>b</i>)	000	(<i>c</i>)	(d)
$E (mv) \dots E_o (mv) \dots$	498·83 227·82	$498.25 \\ 227.23$	15° 488 225	47 4	479·54 224·55	$500.60 \\ 224.76$	499•9 224•1	20° 0 4 7 2	189∙99 222∙72	480·89 221·41
E (mv)	502·21	501·41 220.97	25° 491 219	36 4 51 9	482-10	503·59 218·29	502.8	30° 0 4	192·57	483·16 214.77
12 ₀ (mv)	221 00	220 51	35°	01 2	210 15	210 25	217 0	40°		211111
$E (mv) \dots E_{o} (mv) \dots$	504.85 214.77	$504.03 \\ 214.04$	493- 212-	71 4 59 2	484∙08 211∙17	$505 \cdot 91$ 211 · 05	$505 \cdot 1 \\ 210 \cdot 4$	6 4 1 2	194·72 208·96	484·85 207·40
E (mv) E _o (mv)	506·92 207·27	506·19 206·57	45° 495∙ 205∙	56 4 09 2	485·47 203·46					
				Propi	onic acio	1.				
		$10^2 m_1 = 10^4 m_4 =$	$= (a) 10 \cdot (a) = (a) - (a) - (a) = (a) - (a) = (a) =$	00,* (b) - , (b)	20·00, 45·83,	(c) 40.00, (d (c) 47.14, (d) 60·00) 50·56			
	<i>(a)</i>	(b)	(c) 15°)	(<i>d</i>)	(a)	(b)	20°	(c)	(d)
$E (mv) E_{o} (mv)$	227.60 *	494·79 226·68	490· 225· 25°	25 4 44 2	484·28 223·85	224.65	496·4 * 223·7	9 4 0 2 30°	491·74 222·29	$485.78 \\ 220.82$
$E (mv) \dots E_{o} (mv) \dots$	221.45 *	$498.05 \\ 220.56$	393· 219· 25°	25 4 16 2	487·10 217·59	218.10	499·3 * 217·1	57 4 8 2 40°	494·52 215·80	488·34 214·24
$E (mv) E_{o} (mv)$	214.65 *	$500.58 \\ 213.70$	495· 212·	64 4 26 2	489·36 210·70	210.95	501·5 * 209·9	40 8 4 92 2	496·62 208·46	490·34 206·95
$E (mv) \dots E_o (mv) \dots$	207.30 *	$502.52 \\ 206.11$	45 ⁻ 497- 204-	56 4 69 2	491·16 203·12					
				<i>n</i> -But	yric aci	1.				
	10^{2} 10^{4}	$m_1 = (a) m_4 = (a)$	20·00,*	(b) 30 ·0 (b) 28 ·1	0, (c) 40 6, (c) 29	0.00, (d) 50.00, (d) 28.00	00, (e) 60 83, (e) 18)•00 3•44		
	(<i>a</i>)	(b)	(c) 15°	(<i>d</i>)	(e)	<i>(a)</i>	<i>(b)</i>	(c) 20°) (<i>d</i>)	(e)
$E (mv) E_{o} (mv)$	226.70 *	$511.28 \\ 225.74$	507·45 224·83	505.79 224.27	518·72 223·84	223.70 *	513·39 222·78	509·31 221·6	$\begin{array}{ccc} 1 & 507.59 \\ 3 & 221.05 \end{array}$	$520.72 \\ 220.55$
$E (mv) \dots E_{o} (mv) \dots$	220.47 *	$515 \cdot 24 \\ 219 \cdot 54$	25° 511.20 218.50	$509 \cdot 16 \\ 217 \cdot 58$	$522.71 \\ 217.25$	217.15 *	$517.00 \\ 216.21$	30° 512.93 215.16	3 510·97 3 214·32	524·64 213·83
$E (mv) \dots E_o (mv) \dots$	213.65 *	$518.60 \\ 212.64$	55 514.54 211.64 45°	512∙56 210•79	526-60 210-37	210.05 *	520.08208.94	516·0' 208·04	7 514·20 4 207·30	528·63 206·96
<i>E</i> (mv)		521.48	517.44	515.49	530-36	5				

 E_{0} (mv) 206.20 * 205.13 204.22 203.39 203.19

* Interpolated from the values in water and the lowest molalities of m.

Determination of E_o Values in Aqueous Organic Acids.—For the cell

$$H_{2}|Pt|HA(m_{1}), HCl(m_{4})|AgCl|Ag$$
 (cell II)

from eqns. (1), (2), and (4),

$$\begin{split} \log m' &= \log K + 2A\phi(I) + \log (m_1 - m' - 2x) - \log (m_4 + m') \\ E_o &= E + k \log (m_4 + m')m_4 - 2A\phi(I) \end{split}$$

where m' is the molality of H⁺ ions resulting from the dissociation of the organic acid, x is the concentration of dimers, K is taken as the value in water, and $I = m_4 + m'$. Since xis unknown, it has been ignored in the calculations. The consequences of this are discussed later. The resulting E_0 values are given in Table 1. In calculating these, the values of kand A were taken from the tables of Harned and Robinson ⁹ except that 0.009 was subtracted from A at each temperature (since Davies ⁴ takes A = 0.500 at 25° instead of 0.509). The conventional corrections of the measured potentials to 1 atm. of hydrogen



were based on the vapour pressures of water since the vapour pressures of the solutions are almost identical with these.¹⁰ The K values used are those obtained by Harned and his associates ¹¹ by extrapolating K' data for dilute solutions against I, which, although it is a somewhat empirical procedure, removes errors due to various causes.

The E_{o} values at any one temperature decrease almost linearly with the molality of HA, the change being most marked with butyric acid. These effects are illustrated by the Figure.

Estimation of the Dimerisation Constants from e.m.f. Data.—By using cell I with molalities of HA ranging from 0.1 to 0.6, and using the E_0 values of Table 1, values of $m_{\rm H}$ were calculated by eqn. (1). To minimise errors resulting from the use of a general type of activity coefficient expression (eqn. 4), and to ensure as much as possible that $f_{\rm Cl}/f_{\rm A} = 1$, low concentrations of NaA = m_2 and of NaCl = m_3 were taken. The concentrations of single HA molecules were then calculated from

$$\log m_{\text{HA}} = \log m_{\text{H}} m_{\text{A}} - \log K - 2A\phi(I)$$

where $m_{\rm A} = m_2 + m_{\rm H}$, and the K values are those obtained by Harned and his associates. Then, the dimers being represented by (HA)₂, and the equilibrium constant for the process (HA)₂ = 2HA by L, *i.e.*, $L = (m_{\rm HA})^2/m_{\rm (HA)_2}$, where $m_{\rm (HA)_2} = 0.5(m_1 - m_{\rm HA} - m_{\rm H})$, the results shown in Table 2 were obtained.

⁹ Ref. 3, pp. 456, 491.

¹⁰ "International Critical Tables," McGraw-Hill, New York, 1928, III, pp. 306, 290, 291.

¹¹ Ref. 2, p. 580.

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TABLE 2. Dimerisation constants of acetic, propionic, and n-butyric acids in aqueoussolution from e.m.f. data (15-45° c) (cell I).

Acetic acid.	$\begin{array}{l} 10^2m_1=(a)\\ 10^4m_2=(a)\\ 10^4m_3=(a) \end{array}$	10.00, (b) 72.13, (b) 82.62, (b)) 20·00, (c)) 79·07, (c)) 99·05, (c)	$\begin{array}{c} 40.00, & (d) \\ 84.37, & (d) \\ 100.06, & (d) \end{array}$	60·00 100·10 116·60		
<i>(a)</i>	(b) 15°	(c)	(d)	<i>(a)</i>	(b) 20°	(c)	(d)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	0 535·84 33 3·280 17·7	$519.95 \\ 3.029 \\ 17.1$	$509.63 \\ 2.929 \\ 20.6$	$557 \cdot 52 \\ 3 \cdot 531 \\ 16 \cdot 7$	$537 \cdot 93 \ 3 \cdot 276 \ 21 \cdot 7$	521.88 3.029 17.2	511.48 2.928 18.3
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{ccc} & 25^{\circ} \\ 2 & 540 \cdot 25 \\ 29 & 3 \cdot 277 \\ & 15 \cdot 3 \end{array}$	523·78 3·025 19·8	$513.20 \\ 2.927 \\ 17.5$	$526 \cdot 45 \\ 3 \cdot 529 \\ 17 \cdot 0$	$\begin{array}{c} 30^{\circ} \\ 542 \cdot 28 \\ 3 \cdot 277 \\ 15 \cdot 5 \end{array}$	$525 \cdot 29 \\ 3 \cdot 027 \\ 17 \cdot 1$	$514.85\ 2.927\ 17.5$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	35° 0 544·42 33 3·282 15·0	$527 \cdot 41 \\ 3 \cdot 030 \\ 17 \cdot 6$	$516.53 \\ 2.932 \\ 17.2$	$567.30 \\ 3.539 \\ 15.6$	40° 546.50 3.286 15.6	$529 \cdot 20 \\ 3 \cdot 035 \\ 18 \cdot 3$	518·09 2·937 17·0
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{rrr} & 45^{\circ} \\ 3 & 548{\cdot}52 \\ 46 & 3{\cdot}292 \\ & 16{\cdot}4 \end{array}$	530·88 3·040 19·7	$519.69 \\ 2.944 \\ 16.3$				
Propionic acid.	$10^2m_1 = (a_1^2)^4m_2 = (a_1^2)^4m_3 = (a_1^2)^4m_3 = (a_2^2)^4m_3 = (a_1^2)^4m_3 = (a_2^2)^4m_3 = (a_2^2)^4$	z) 10·00, (z) 77·69, (z) 92·18, (b) 20·00, b) 67·89, b) 104·73,	$\begin{array}{l} (c) \ 40.00, \ (d) \\ (c) \ 69.66, \ (d) \\ (c) \ 89.83, \ (d) \end{array}$	60·00) 66·51 82·63		
<i>(a)</i>	(b) 15°	(c)	(<i>d</i>)	<i>(a)</i>	(b) 20°	(c)	(d)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	7 537·17 74 3·339 9·9	$525.02 \\ 3.084 \\ 10.9$	$516.22 \\ 2.924 \\ 11.5$	563·15 3·673 10·9	539·57 3·338 9·7	$527 \cdot 22 \\ 3 \cdot 086 \\ 9 \cdot 6$	$518.30 \\ 2.923 \\ 11.1$
F(mx) = 565.79	25°	590.35	590.94	568.43	30°	521.25	599.98
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	73	3.084 10.2	2.925 10.2	3.675 9.7	3·340 9·3	3.087 8.7	2·928 10·1
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	35° 3 546·33 79 3·344 9·1	533·37 3·092 9·3	$524 \cdot 29 \\ 2 \cdot 935 \\ 9 \cdot 1$	573·76 3·688 9·9	40° 548·50 3·352 9·5	$535 \cdot 41 \\ 3 \cdot 101 \\ 9 \cdot 1$	$526 \cdot 17 \\ 2 \cdot 942 \\ 9 \cdot 3$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	45° 3 550·74 95 3·361 8·1	$537 \cdot 36 \\ 3 \cdot 107 \\ 8 \cdot 9$	$528.07 \\ 2.951 \\ 8.6$				
<i>n</i> -Butyric acid.	$\begin{array}{l} 10^2 m_1 = (a) \ 20 \\ 10^4 m_2 = (a) \ 44 \\ 10^4 m_3 = (a) \ 47 \\ \end{array}$	00, (b) 30· 99, (b) 48· 43, (b) 66·	00, (c) 40. 04, (c) 44. 57, (c) 44.	00, (d) 50·00 18, (d) 50·40 80, (d) 58·58	, (e) 60·00 , (e) 87·22 , (e) 98·92		
<i>(a)</i>	(b) (c) 15°	(d)	(<i>e</i>)	<i>(a)</i>	(b) $(c)20^{\circ}$	(d)	(e)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$521.75 \\ 2.876 \\ 5.9$	514.62 2.964 6.7	547.95 531 3.163 3 6.8 7	$\begin{array}{cccc} \cdot 31 & 532 \cdot 94 \\ \cdot 031 & 2 \cdot 914 \\ \cdot 0 & 7 \cdot 4 \end{array}$	532·82 2·877 6·5	$516.94 \\ 2.973 \\ 6.3$
E (mv) 550.71 53 $-\log m_{\rm H} 3.170$ L 6.5	$\begin{array}{ccc} & 25^{\circ} \\ 33\cdot73 & 535\cdot49 \\ 3\cdot037 & 2\cdot921 \\ 7\cdot1 & 7\cdot3 \end{array}$	$525.88 \\ 2.882 \\ 6.6$	519.18 2.980 6.1	$553 \cdot 43 536 \ 3 \cdot 177 3 \ 6 \cdot 4 7$	30° $\cdot 12$ $537 \cdot 84$ $\cdot 043$ $2 \cdot 926$ $\cdot 1$ $7 \cdot 6$	528.33 2.890 6.3	$521 \cdot 46 \\ 2 \cdot 990 \\ 5 \cdot 8$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	35° 38·65 540·30 3·055 2·936 6·9 7·7	$530.49 \\ 2.898 \\ 6.8$	$523.74 \\ 2.999 \\ 6.1$	558·79 540 3·198 3 7·0 6	40° •91 542•66 •066 2•945 •9 8•1	532·92 5 2·909 6·7	$525 \cdot 80$ 2 \cdot 004 $6 \cdot 8$
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	45° 43·15 545·02 3·076 2·957 7·3 7·9	$535.01 \\ 2.920 \\ 6.8$	$528.38 \\ 2.023 \\ 6.0$				

DISCUSSION

As Table 3 shows, there are no marked changes in L with temperature. This agrees with the conclusions of Davies and Griffiths, 12,13 who used freezing-point and distribution methods for studying dimerisation in aqueous acetic and butyric acids, and also with Trayhard's ¹⁴ observations which were based on Raman spectra studies of aqueous acetic acid.

	TABLE	3.	Average L	values from the	e.m.f. data.	
_	15°	20°	25°	3 0°	35°	40°

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Тетр	15°	20°	25°	3 0°	35°	40°	45°
Acetic acid	$18\cdot2 \pm 1\cdot2$	18.5 ± 1.6	18.0 ± 1.6	16.8 ± 0.6	$17\cdot2 \pm 1\cdot1$	16.6 ± 1.0	17.0 ± 1.4
Propionic acid	10.8 ± 0.5	10.3 ± 0.7	10.2 ± 0.2	9.5 ± 0.6	9.5 ± 0.4	9.5 ± 0.3	8.8 ± 0.5
n-Butyric acid	6.8 ± 0.6	6.8 ± 0.3	6.7 ± 0.4	6.6 ± 0.6	6.9 ± 0.4	7.1 ± 0.4	7.0 ± 0.5

A comparison of the dimerisation constants obtained by various methods (Table 4) reveals that the e.m.f. values, although of the same order as those obtained in other ways, are somewhat the smaller. The tendency to dimerise increases as the chain length grows. (The value for propionic acid by conductance-viscosity is not very reliable, being the mean of 22, 22.5, and 15, calculated from measurements with very dilute solutions.)

TABLE 4. Values of L obtained by various methods.

	Acetic acid	Propionic acid	n-Butyric acid
Freezing point ^{12,13} (0°)	28		11
F.pdistribution ^{12,13} (25°)	28		10
Vapour pressure ¹² (25°)	20 ± 3		
Conductance-viscosity 15 (25°)	19 ± 2	20 ± 3	11 ± 0.6
E.m.f. (25°)	18 ± 1.6	10.2 ± 0.2	6.7 ± 0.4

There are several reasons which could account for the fact that the L values from the e.m.f. data are smaller than those obtained in other ways, and originate from the factors referred to earlier. Among these is one about which no precise information is available, namely, the dielectric constants (D) of the solutions. However, there is sufficient evidence to indicate that the presence of organic acids lowers the dielectric constant from that of water, since D = 6.2 and 2.9 for pure acetic acid ¹⁶ and butyric acid,¹⁷ respectively, and Drude,¹⁸ who studied concentrated propionic acid, reported that D = 43.8 for a 55% solution at 17° (D for water is 81.5). These figures suggest that the dielectric constants of the 0.6m-solutions are about three units lower than that of water at the corresponding temperature. This would influence both the value of K and the Debye-Hückel factor A in eqn. (4). Nevertheless, even if the dielectric constants were known exactly, as Stokes and Robinson have pointed out,³ it is not possible to calculate the precise extent to which the values of K are altered from those in water. Born's equation,¹⁹ which should predict this change, proves under test to be only an approximation. With mixed solvents such as alcohol-water and dioxan-water marked specific effects are found which no doubt are the result of ion-solvent interactions. Calculation shows that even the average change of log K with 1/D from known data for alcohols-water and dioxan-water³ is excessive, since, if this is used together with the estimate that D changes by 3 units from water to 0.6m-acetic acid, the calculated molality of undissociated single molecules becomes greater than 0.6. However, on taking, e.g., the results at 25° , if K (acetic acid) changes from 1.745×10^{-5} in water ¹¹ to 1.68×10^{-5} in 0.6m-acid, L is raised from 18 to 28, and similarly if K (butyric acid) ¹¹ changes from 1.515×10^{-5} to 1.37×10^{-5} , L is raised from 6.7 to 11. (For both of these estimates it is assumed that D changes by 3 units, *i.e.*, the Debye factor A is raised from 0.50 to 0.55.) At the same time, the standard electrode potentials change

- ¹⁵ Cartwright and Monk, J., 1955, 2500.
 ¹⁶ Le Fèvre, Trans. Faraday Soc., 1938, 34, 1127.
- Ref. 10, VI, 87.
 Borude, Z. phys. Chem., 1897, 23, 267.
 Born, Z. Physik, 1920, 1, 45.

¹² Davies and Griffiths, Z. phys. Chem. (Frankfurt), 1954, 2, 353.

¹⁸ Idem, ibid., 1956, 6, 143.

¹⁴ Trayhard, Compt. rend., 1945, 223, 202.

slightly from those given in Table 1. The two concerned here for example become 0.6 mvand $1 \cdot 1$ mv lower, respectively.

Finally, since the existence of dimers was ignored in calculating the E_0 values of Table 1, it has been implied that the dissociation constants of equilibria such as $(HA)_2 =$ $H^+ + HA_2^-$ are twice as large as those of the single molecules. If the dimers do not dissociate, then both the E_{o} and L values are different from those given in the Tables or when the effect of changing dielectric constant is considered. For instance, with 0.6macetic acid at 25°, if we take the lower K of 1.68×10^{-5} suggested in the previous paragraph, and the higher Debye factor of 0.55, and also assume that the dimers do not dissociate, E_0 becomes 0.8 mv lower than the value given in Table 1, and L becomes 25, compared with the original estimate of 18 in Table 2, and the higher result of 28 when the dielectric constant effect and not the dimer dissociation is considered.

The general conclusion, therefore, is that the present interpretation of potential measurements can give some measure of the dimerisation process but the precision of the answers is markedly lowered by several unknown features.

EXPERIMENTAL

The conventional H-shaped cell was used for the e.m.f. measurements. It contained a tap with a wide bore in the tube connecting two electrode compartments, which was only opened when readings were being taken. The gas exits consisted of U-shaped capillary tubes, and the electrodes were fitted into the cell by means of standard ground-glass joints. The measuring apparatus consisted of a Tinsley potentiometer (type 4025), Tinsley Weston cells (type 1267), and Pye "Scalamp" galvanometer (No. 7904/5) with a sensitivity of $7.24 \,\mu v/mm$. The potentiometer could be read to 0.1 mv, and the nearest 0.01 mv could be estimated from the galvanometer.

The cell and gas saturators were fixed in a water thermostat kept at the required temperatures to within $\pm 0.03^{\circ}$, and the saturators were filled with the solution being studied to prevent concentration changes in the cell. Commercial B.O.C. nitrogen and hydrogen (purified by passage over palladium-abestos pellets) were passed through the silver-silver chloride and platinum-black electrode compartments, respectively, overnight before starting a "run." Several types of silver-silver chloride electrode were tried before final choice of the thermalelectrolytic type of Noyes and Ellis,²⁰ and Lewis.²¹ The electrolytic type described by Brown ²² would not maintain a constant potential in the concentrated carboxylic acid solutions. The electrodes used remained constant during a "run" to within 0.05 mv, but to minimise errors due to the slight lack of reproducibility an electrode was used for a series of E_0 determinations in a particular HA molality, and then used for L determinations at the same HA molality. A fresh electrode was used for each such set of measurements.

"AnalaR" acetic acid, sodium hydroxide, sodium chloride, and hydrochloric acid were used. Stock solutions were prepared with conductivity water obtained by passing distilled water through a mixed-bed ion-exchange column. The propionic and n-butyric acids were purified by fractionation, the fractions of b. p. 140-140.7°/735 mm. and 163.0°, respectively, being collected. Solutions of the carboxylic acids were standardised by carbonate-free sodium hydroxide which was standardised by potassium hydrogen phthalate. The chloride stock solutions were standardised gravimetrically via silver chloride. The cell solutions were made up on a molality basis, viz, per 1000 g. of water + carboxylic acid, by analogy with the conventional procedure with mixed solvents.

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²⁰ Noyes and Ellis, J. Amer. Chem. Soc., 1917, **39**, 2532.
²¹ Lewis, *ibid.*, 1906, **28**, 166.
²³ Brown, *ibid.*, 1934, **56**, 646.